

The effect of the nominal exchange rate  
on prices: a 2-sector dynamic model with  
slow capital adjustment and money-in-  
the-utility

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# Model objectives

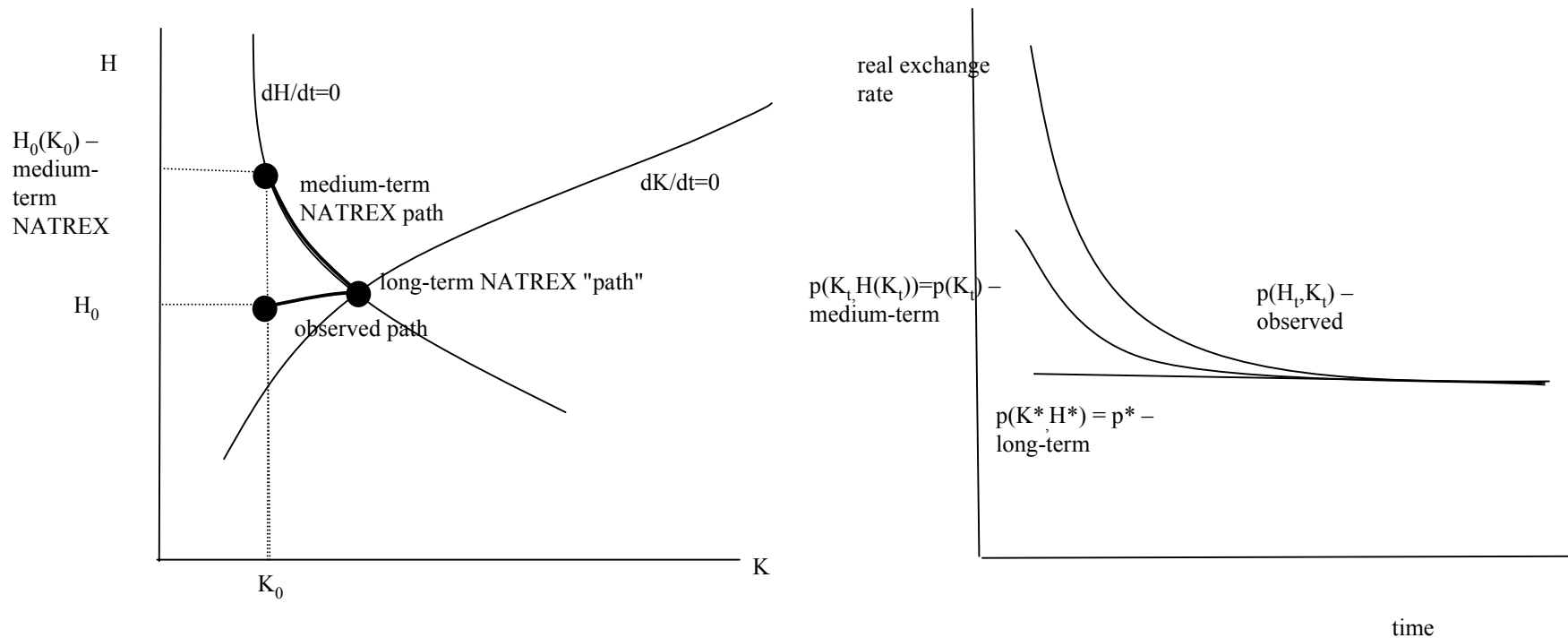
- basic assumptions:
  - two sectors (traded = manufacturing, nontraded = services),  $p_T = e p_T^*$
  - two factors of production (capital and labor)
  - slow adjustments (from intertemporal behavior): nominal -- consumption expenditures and income (MIU); real -- K accumulation (q)
- its behavior: effects of shocks (nominal, real), nominal paths
  - prices, wages, rental rates
  - capital and labor employment in the two sectors
  - consumption, investment, trade balance
  - impact effect plus persistence -- an endogenous propagation mechanism: excess demand (spending) creates *some* of its excess supply (income)
  - both rigidities are needed for both the impact effect and the persistence
- *highlights that open economy real exchange rate developments have deep 2-sector, 2-factor determinants*

# Potential applications

- demand effect of a fiscal (income) shock: income  $\uparrow \Rightarrow$  expenditure  $\uparrow \Rightarrow$  NT-T relative price  $\uparrow \Rightarrow$  income (w)  $\uparrow$
- nominal appreciation: reproduces quite many of stylized ERBS facts (Reinhart-Végh 1995, Burnstein et al 2002) and the recent Hungarian experience, *without sticky prices*
  - (1-2) consumption boom, (3) slow disinflation, (4) trade deficits
  - NT prices and wages are major sources of inflation “misbehavior”
  - investment collapse, FDI outflow, T-NT asymmetry in investment
- the effect is like a fiscal expansion!  $\Rightarrow$  *endogenously* slow adjustment of wages and NT prices  $\Rightarrow$  failure of ERBSs?
- the impact of euro conversion rate on nominal and real variables -- the size and persistence of misalignment, its effect on sectors and factors of production
- B-S effect with slow investment, *temporary* demand effect

# Theoretical interpretation of NATREX

- long run: all state variables are stable
- medium run: all state variables that adjust fast are “temporarily unchanged” (e.g.,  $H$  is along the  $dH/dt=0$  location)
- realized behavior: all state variables adjust slowly



# Model details

- 2 sectors: C-D prod., labor-augmenting exogenous growth in T (the long-run is then the “flexible Balassa-Samuelson model”); can transform all into effective variables
- 2 inputs: labor -- mobile across sectors, capital -- mobile across sectors but adjusts slowly between countries
- demand: intertemporal optimization of a C-D “aggregate” (T, NT consumption and real money --  $H/P$ )
- a near-optimal policy function for nominal expenditure:  $E=VH=(\delta+\pi)\gamma/(1-\gamma)H$  (neglects changes in  $\pi$ ) -- have a continuous, full optimization version with qualitatively identical results (Benczur-Konya)
- consumer income: only  $w$  (K is foreign, capitalists eat only T)
- all markets clear except for
- *Tobin-q for capital ( $r \neq r^*$ ), money accumulation ( $E \neq Y, TB \neq 0$ )*

# Numerical solution (winsolve is enough!)

- dynamics: 
$$\hat{\mathbf{K}}_t = \hat{\mathbf{k}}_T + \lambda \mathbf{V} \frac{\hat{\mathbf{H}}}{\mathbf{e}} * \hat{\mathbf{k}}_T^\beta \left( \frac{1-\alpha}{1-\beta} - \frac{\alpha}{\beta} \right)$$

$$\mathbf{r} = (1 - \beta) \mathbf{e} \hat{\mathbf{k}}_T^{-\beta}$$

$$\hat{\mathbf{K}}_{t+1} = \frac{\hat{\mathbf{K}}_{t+2}}{2 + \mathbf{r}^*} + \frac{\hat{\mathbf{K}}_t (1 + \mathbf{r}^*)}{2 + \mathbf{r}^*} + \frac{\mathbf{c}(\mathbf{r} / \mathbf{e} - \mathbf{r}^*)}{2 + \mathbf{r}^*}$$

$$\hat{\mathbf{H}}_{t+1} = \hat{\mathbf{H}}_t + \frac{\mathbf{e}}{1 + \mathbf{g}} \beta \mathbf{k}_T^{1-\beta} - \frac{\mathbf{V} \hat{\mathbf{H}}_t}{1 + \mathbf{g}}.$$

- linearize laws of motion, can keep the per period equations
- calibration:
  - $\alpha=0.8, \beta=0.5$  (NT is more labor-intensive);  $\lambda=2/3$  weight of NT
  - $\mathbf{r}^*=0.005$  (5% per year since 1 year = 10 periods),  $\mathbf{g}=0.001$  (1%)
  - $\mathbf{c}=3000$  -- half-life of an innovation in K is apprx. 2 years;  $\mathbf{V}=0.1$  -- half-life of a money shock is apprx. 1 year
  - $\mathbf{H}_0, \mathbf{K}_0$  is 80-90-100% of steady state values

# Intuition of model mechanics

- nominal appreciation (disinflation, strong EMU rate) increases the value of money in T
- this leads to excess spending, just like a fiscal stimulus
- higher consumption of NT and T, higher NT production, lower T production, trade deficit (H flows out)
- NT prices increase because the short-term transformation curve is nonlinear
- *propagation*: higher NT prices increase domestic income (“transfer effect”)! Concretely: if NT is more labor-intensive, then wages increase
- the price of capital (r and q) falls, which hurts investment
- asymmetry:  $w \uparrow$ ,  $r \downarrow$ ;  $NT \uparrow$ ,  $T \downarrow$ , reallocations between sectors

# Results

- equilibrium growth paths, with different  $K_0$ : (1-2)  
 $K < K^* \Rightarrow r > r^* \Rightarrow p_{NT} < p_{NT}^*$  (inverse Stolper-Samuelson)  
 $\Rightarrow$  convergence means excess inflation (even w/o TFP growth) -- if the NT sector is more labor-intensive
- nominal growth paths: from equilibrium  $H_0(K_0)$ ,  $e=1$  and 0.9 (3-7) -- appr. 1% misalignment for around 2 years, but an important effect on  $r, w$  and  $K$ !
- the difference of the two nominal paths (i.e., the nominal impulse response of an appreciation):  $K, p, K_{NT}, K_T, L_T, L_{NT}, k_T (\sim k_{NT}), r/e, w/e, C, Y, TB$ , “real” GDP (8-16)
- sensitivity to the adjustment speed ( $c, V$ ), initial values, fiscal expansion ( $dH > 0$  extra income)



# Discussion, future research

- general intuition: the nominal exchange rate influences T prices, while some assets are fixed in local currency => change in demand => GE change in prices and income
- money, wealth or portfolio-rebalancing interpretations -- similar, but different impact and persistence
- role of approximations ( $E=VH$ , near-q theory): full optimization version in continuous time, the same intuition works ( $\partial E_0/\partial H_0 > 0$ , so an appreciation creates excess demand)
- the role of sectoral intensities, capital ownership?
- the role of unit substitutability
  - CES in consumption: high substitutability decreases the impact and the persistence, low subst. increases ( $w$  can even increase *more than 1:1!*)
  - CES in production: just the opposite (low subst. magnifies the effect)

# Discussion, future research cont.

- slow reallocation between sectors:
  - sectoral  $q$
  - Dixit-Stiglitz competition with temporary profits and gradual entry (“sticky entry”) => endogenous T passthrough as well?
- the role of economic development (distance from steady state, the weight of  $rK$ )
- price or inflation inertia? success of ERBSs -- can we trace them to differences in the strength of model effects?
- “sticky price” models: firms will not adjust to 100% exchange rate passthrough, so adjustment is even slower
- calibration on Hungarian data, or static/dynamics estimation? non-homotheticity of T-NT demand?